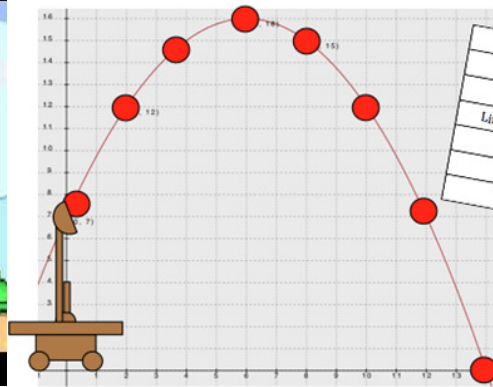
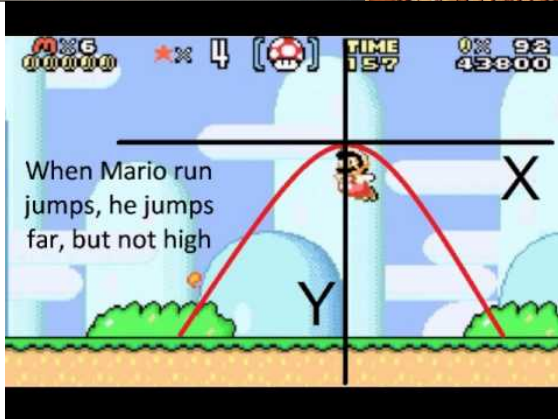


Parabolas

10.5

4.3.17



Vertex	
Y-Intercept	
X-Intercept	
Line of Symmetry	
Concavity	
Domain	
Range	

parabola is the set of all points P in a plane that are equal distance from both a fixed point,(focus) and a fixed line, the **directrix**.

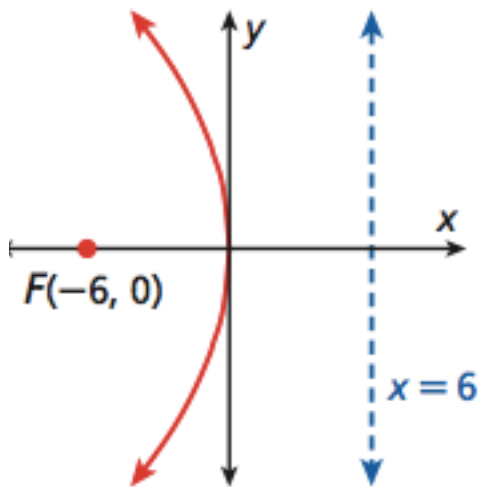
The **vertex** is in the middle of the line from the directrix to focus.

Standard Form for the Equation of a Parabola Vertex at (0, 0)

AXIS OF SYMMETRY	HORIZONTAL $y = 0$	VERTICAL $x = 0$
Equation	$x = \frac{1}{4p}y^2$	$y = \frac{1}{4p}x^2$
Direction	Opens right if $p > 0$ Opens left if $p < 0$	Opens upward if $p > 0$ Opens downward if $p < 0$
Focus	$(p, 0)$	$(0, p)$
Directrix	$x = -p$	$y = -p$
Graph		

Example 1

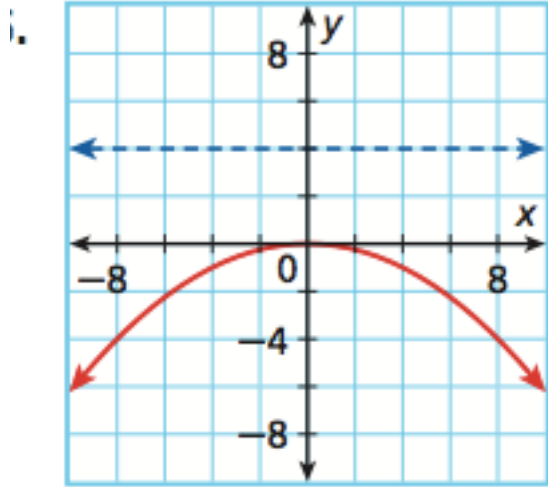
Try.
Write the equation in standard form for the parabola.



Axis of Symmetry	$y = 0$ Horizontal $x = \frac{1}{4p}y^2$
Focus value, p	Vertex is at (0,0) Directrix is at $x=6$ $x = -p$ $p = -6$
Plug in "p" into equation	$x = \frac{1}{4(-6)}y^2$ $x = \frac{1}{-24}y^2$

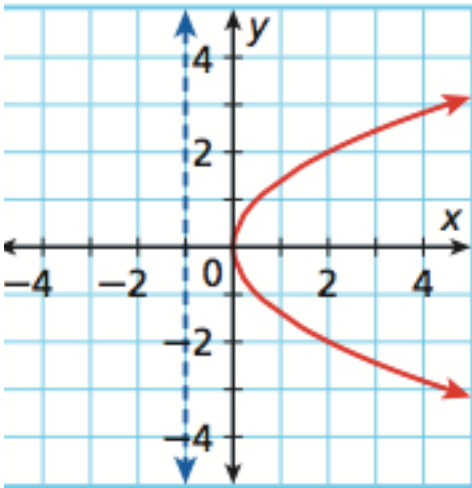
Try:

Write the equation in standard form.



Axis of Symmetry	
Solve for p	Vertex is at Directrix is at p =
Plug in "p" into equation	

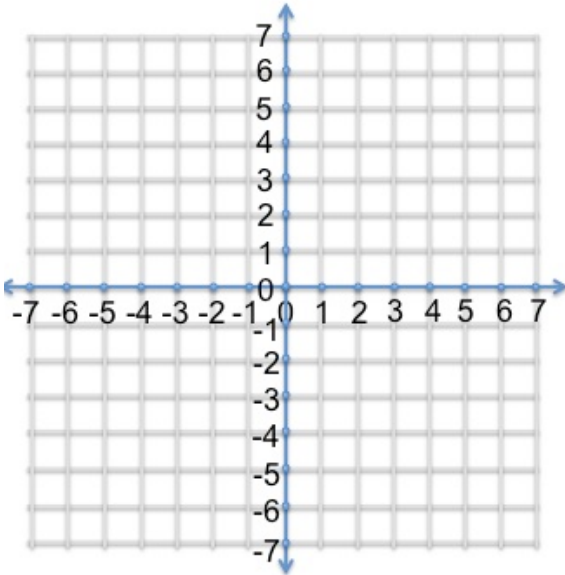
Try:
Write the equation in standard form.



Axis of Symmetry	
Solve for p	Vertex is at Directrix is at p =
Plug in "p" into equation	

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ou Try in your notebooks
dd talk, Even write:
/rite the equation in standard form.



Axis of Symmetry	
Solve for p	Vertex is at Directrix is at p =

Plug in "p" into equation

esmos

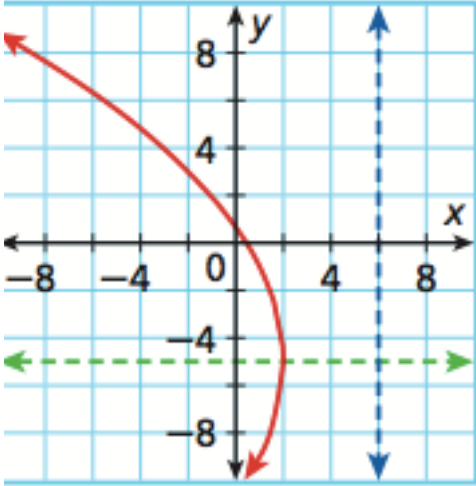
Standard Form for the Equation of a Parabola Vertex at (h, k)

AXIS OF SYMMETRY	HORIZONTAL $y = k$	VERTICAL $x = h$
Equation	$x - h = \frac{1}{4p}(y - k)^2$	$y - k = \frac{1}{4p}(x - h)^2$
Direction	Opens right if $p > 0$ Opens left if $p < 0$	Opens upward if $p > 0$ Opens downward if $p < 0$
Focus	$(h + p, k)$	$(h, k + p)$
Directrix	$x = h - p$	$y = k - p$
Graph		

3.753

Try.

Write the equation in standard form.



Axis of Symmetry	$y = -5$ Horizontal $x - h = \frac{1}{4p}(y - k)^2$
Solve for h,k,p	Vertex is at $(2, -5)$ $h = 2, k = -5$ Directrix is at $x = 6$ $x = h - p$ $6 = 2 - p$ $4 = -p$ $-4 = p$

Plug in "h,k,p" into equation

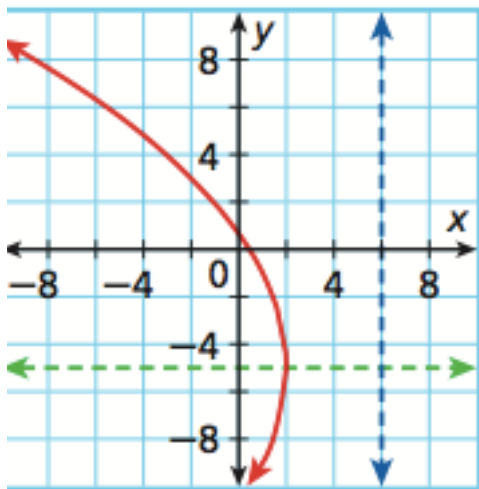
$$x - h = \frac{1}{4p}(y - k)^2$$

$$x - 2 = \frac{1}{4(-4)}(y - (-5))^2$$

$$x - 2 = \frac{1}{-16}(y + 5)^2$$

We Try:

Write the equation in standard form.



Axis of Symmetry

Solve for h,k,p

Vertex is at

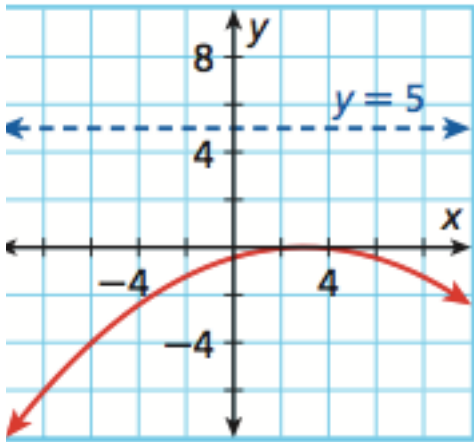
$h =$ $k =$

Directrix is at

Plug in "h,k,p" into equation

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ou Try:
ven talk, Odd write:



Axis of Symmetry	
Solve for h,k,p	Vertex is at $h=$ $k=$ Directrix is at

Plug in "h,k,p" into equation	
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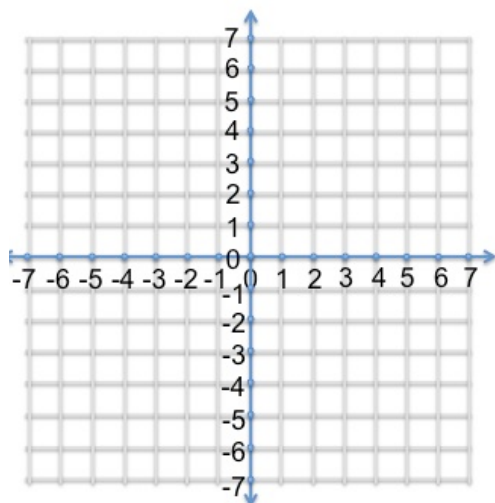
Example 2

Find the vertex, value of p, axis of symmetry, focus, and directrix, and then graph.

$$y = \frac{1}{32}(x + 2)^2$$

Identify axis of symmetry	Vertical $y - k = \frac{1}{4p}(x - h)^2$
Vertex (h,k)	h=-2 k=0 (-2,0)

p	$4p=32$ $p=8$
focus	$(h,k+p)$ $(-2,0+8)$ $(-2,8)$
directrix	$y=k-p$ $y=0-8$ $y=-8$

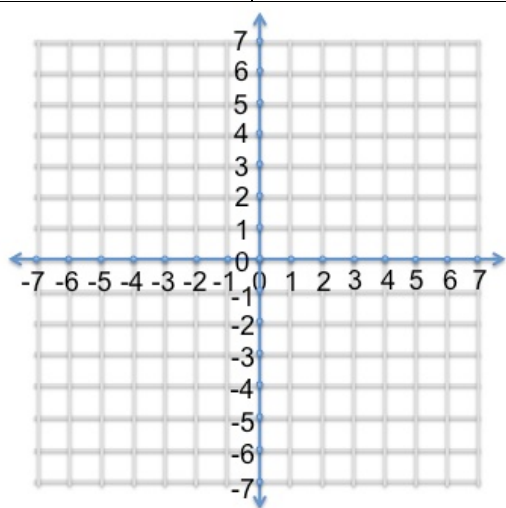


/e Try:
 nd the vertex, value of p, axis of symmetry, focus, and directrix, and then graph.

$$x = \frac{1}{8} (y - 1)^2$$

Identify axis of symmetry	
Vertex (h,k)	$h=$ $k=$

p	$4p=$ $p=$
focus	
directrix	



ou Try in your notebooks with your partner:

ven Write, Odd Talk

nd the vertex, value of p, axis of symmetry, focus, and directrix, and then graph.

$$x - 2 = \frac{1}{2} (y + 1)^2$$

Identify axis of symmetry	
Vertex (h,k)	h= k=
p	4p= p=
focus	
directrix	

Example 3

Try:

Write the equation in standard form. Find the domain and range.

Vertex $(-7, -3)$, Focus $(2, -3)$

Axis of Symmetry	<p>Horizontal</p> $x - h = \frac{1}{4p}(y - k)^2$
Find h,k,p	<p>H=-7,k=-3</p> <p>Focus $(h+p,k)$</p> $-7 + p = 2$ <p>p=9</p>
Plug h,k,p into equation	$x - h = \frac{1}{4p}(y - k)^2$ $x - (-7) = \frac{1}{4(9)}(y - (-3))^2$ $x + 7 = \frac{1}{36}(y + 3)^2$
Find the Domain and Range	<p>$x \geq -7$</p> <p>y: R</p>

Try:

Write the equation in standard form. Find the domain and range.

Focus (4,-5), Directrix $x = 12$

Axis of Symmetry	Directrix $x = 12$ Horizontal $x - h = \frac{1}{4p}(y - k)^2$
Find h,k,p	Vertex is halfway between the focus and directrix. Vertex (8,-5) h=8

	$k = -5$ Focus $(h+p, k)$ $4 = 8+p$ $-4 = p$
Plug h, k, p into equation	$x - h = \frac{1}{4p} (y - k)^2$ $x - 8 = \frac{1}{4(-4)} (y - (-5))^2$ $x - 8 = \frac{1}{-16} (y + 5)^2$
Find the Domain and Range	$x \leq 8$ $y: \mathbb{R}$

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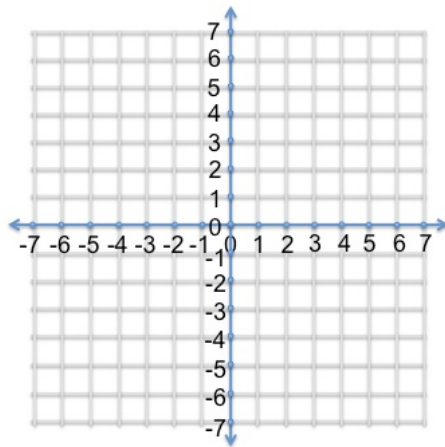
/e Try:

/rite the equation in standard form.

dd Write Even Talk

ertex $(0,0)$, Focus $(\frac{1}{2}, 0)$

Axis of Symmetry



Find p

Focus $(p,0)$

p=

Plug p into equation	
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Closure:

Discuss these questions with your partner.

How can we find the vertex given the focus and directrix?

How can we tell if a parabola is vertical or horizontal?

What are the steps needed to graph a parabola given the equation?